

Thank you!

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Test Date:



Unit Vocabulary:

add a group, break-apart strategy, decompose, denominator, doubling, equal parts, equivalent fractions, even, factor, fraction, helper facts, missing factor, multiples, near squares, numerator, odd, product, subtract a group, unit fraction, whole

Lesson 5.1:

Exploration A: How do you create equal parts of different wholes? Circle the picture that shows 1-thirds of the whole.



Exploration B: How do you solve problems involving area and perimeter? Circle the pentominoe that has a different perimeter measurement than the other two.



Exploration C: How do you represent fractions of different wholes?

A. The square is the whole.



A fraction that names the shaded part is _____.

B. The rectangle is the whole.



A fraction that names the shaded part is _____

Lesson 5.2:

How do you represent fractions using standard notation, words, and drawings?

Complete the table.

Picture	Words	Number
Example:		
	two-thirds	$\frac{2}{3}$
The whole is the circle you will draw in this box below. Divide the circle into four equal parts. Shade up to three of its parts.		

Lesson 5.3:

How can you recognize equivalent fractions?

1: Divide the rectangle into 4 equal-size parts. Shade and label one part with a fraction.



#2: Diego turns over these two cards during a game of Fraction Memory. He thinks he found a pair of equivalent fractions.



a. Do you agree? Explain your thinking.

b. Use your fraction cards to find a different pair of equivalent fractions. Record your fractions on the lines below.

Lesson 5.4:

How do you apply your knowledge of helper facts to solve harder multiplication facts?

- **#1**: For the helper fact below:
 - * Record a helper fact.
 - * Use your helper fact and either add or subtract a group.
 - * Use words, numbers, or pictures to show your thinking.
 - * Write the product.

9 x 8 = ?

Helper Fact: _____ x ____ = ____

How can I use the helper fact: _____

9 X 8 = _____

- **#2:** Lynne and Dan are working together to solve 6 x 7.
 - * Lynne says: "I think 6 x6 will help as our helper fact."
 - * Dan says: "I think 7 x 7 will help as our helper fact."

With whom do you agree? Explain.

Lesson 5.5:

How does using the strategy of doubling help to find the area of a larger rectangle?

Explain two different ways you could use doubling to solve **4 x 6 = ?** You may draw rectangles to help.

a. One way:

Helper fact: _____x ___ = ____

How I did it:

b. Another way:

Helper fact: _____x ___ = ____

How I did it:

Lesson 5.6:

How do you apply the doubling strategy to solve multiplication facts?

Show how you can solve 5×6 using doubling.

Factor I will split in half: _____

Sketch:

5 x 6 = _____

What helper fact did you double to solve 5 x 6?

Lesson 5.7:

How do you identify and explain arithmetic patterns using properties of operations?

Complete the table of 5s multiplication facts below.

Fact	Product
1 x 5	
2 x 5	
3 x 5	
4 x 5	

What patterns did you notice in the products?

Lesson 5.8:

How do you identify the missing factor in a multiplication problem?

Mike is playing a round of Salute! The dealer says 32. His partner has a 8 on her forehead.

- a. What number does Mike have? _____
- **b.** Write a multiplication number sentence and a division number sentence for this problem.

c. How do your number sentences show the same Salute! round?

Lesson 5.9:

How can the product of a multiplication square help you find the product of near squares?

Near square: $6 \times 7 = ?$

Square helper fact: _____ × ____ = ____

How does your square helper fact help you solve the near square?

Lesson 5.10:

How do you solve a number story?

Solve the number story.

People are donating \$10 each to the animal shelter. The animal shelter has collected \$130 so far. Its goal is to collect \$200. How many more people do they need to donate money?

(unit)

Lesson 5.II:

How do you use the break-apart strategy to solve multiplication problems?

Julio is trying to solve 7×9 .

He sketched a rectangle to help him think about how to break apart the numbers so that the fact is easier to solve. Here is his sketch:

Use numbers or words to explain how Julio can use his sketch to solve 7 x 9

	9	
	5	4
7	7 x 5	7 x 4





Name: Answer Key

Test Date:



Unit Vocabulary:

add a group, break-apart strategy, decompose, denominator, doubling, equal parts, equivalent fractions, even, factor, fraction, helper facts, missing factor, multiples, near squares, numerator, odd, product, subtract a group, unit fraction, whole

Lesson 5.1:

Exploration A: How do you create equal parts of different wholes? Circle the picture that shows 1-thirds of the whole.



Exploration B: How do you solve problems involving area and perimeter? Circle the pentominoe that has a different perimeter measurement than the other two.



Exploration C: How do you represent fractions of different wholes?

A. The square is the whole.



A fraction that names the shaded part is <u>|-half</u>

B. The rectangle is the whole.



A fraction that names the shaded part is <u>I - fourth</u>

Lesson 5.2:

How do you represent fractions using standard notation, words, and drawings?

Complete the table.

Picture	Words	Number
Example:		_
	two-thirds	$\frac{2}{3}$
	two - fourths OR one-half	$\frac{2}{4}$ OR $\frac{1}{2}$
	five - sixths	<u>က</u> ြထ
The whole is the circle you will draw in this box below. Divide the circle into four equal parts. Shade up to three of its parts.		
Ar	nswers will var	Y

Lesson 5.3:

How can you recognize equivalent fractions?

1: Divide the rectangle into 4 equal-size parts. Shade and label one part with a fraction.

Answers will vary:



#2: Diego turns over these two cards during a game of Fraction Memory. He thinks he found a pair of equivalent fractions.



a. Do you agree? Explain your thinking.

Yes: Sample Answer: The shaded area of each circle on the cards is the same size.

b. Use your fraction cards to find a different pair of equivalent fractions. Record your fractions on the lines below.



Lesson 5.4:

How do you apply your knowledge of helper facts to solve harder multiplication facts?

- **#1**: For the helper fact below:
 - * Record a helper fact.
 - * Use your helper fact and either add or subtract a group.
 - * Use words, numbers, or pictures to show your thinking.
 - * Write the product.

9 x 8 = ?

Sample Answer:

Helper Fact: $8 \times 8 = 64$

How can I use the helper fact: $1 \text{ know that 8 } \times 8 = 64$, so then I add <u>a group of 8.</u> 64 + 8 = 72.

9 X 8 = <u>72</u>

- **#2:** Lynne and Dan are working together to solve 6 x 7.
 - * Lynne says: "I think 6 x6 will help as our helper fact."
 - * Dan says: "I think 7 x 7 will help as our helper fact."

With whom do you agree? Explain. Sample Explanations:

I agree with Lynne because she can add a group of 6 to 6 × 6 to find 6 × 7 because of the turn-around rule. I agree with Dan because he can subtract a group of 7 from 7 × 7 to get the answer to 6 × 7. I agree with both because 6 × 7 is a near-squares fact for 6 × 6 and 7 × 7, so they can either add or subtract a group to get the answer.

Lesson 5.5:

How does using the strategy of doubling help to find the area of a larger rectangle?

Explain two different ways you could use doubling to solve **4 x 6 = ?** You may draw rectangles to help.

a. One way:

Helper fact: $2 \times 6 = 12$

How I did it:

I started with 2 x 6 = I2 and doubled it. I2 + I2 = 24, so $4 \times 6 = 24$

b. Another way:

Helper fact: $4 \times 3 = 12$

How I did it:

I started with $4 \times 3 = 12$ and doubled it. 12 + 12 = 24,

SO 4 X 6 = 24

Lesson 5.6:

How do you apply the doubling strategy to solve multiplication facts?

Show how you can solve 5 x 6 using doubling. Factor I will split in half: <u>6</u> Sketch: $5 \times 6 = 30$ What helper fact did you double to solve 5 x 6? $3 \times 5 = 15$



3 x 5 = 15	
15 + 15 = 30	

Lesson 5.7:

How do you identify and explain arithmetic patterns using properties of operations?

Complete the table of 5s multiplication facts below.

Fact	Product
1 x 5	5
2 x 5	Ю
3 x 5	5
4 x 5	20

What patterns did you notice in the products?

The product goes in an odd, even pattern. The product always

ends in a 5 and then a 0. The product increases by 5 each time.

Lesson 5.8:

How do you identify the missing factor in a multiplication problem?

Mike is playing a round of Salute! The dealer says 32. His partner has a 8 on her forehead.

- a. What number does Mike have? ____
- **b.** Write a multiplication number sentence and a division number sentence for this problem.

8 x 4 = 32

32 ÷ 8 = 4

c. How do your number sentences show the same Salute! round?

I can think multiplication and ask, "8 times what number is 32?" I can also think division and ask, "How many groups of 8 are There in 32?"

Lesson 5.9:

How can the product of a multiplication square help you find the product of near squares?

Near square: $6 \times 7 = ?$

Square helper fact: $6 \times 6 = 36$

How does your square helper fact help you solve the near square? I can start at 36 and add one more group of 6. 36 + 6 = 42.

Lesson 5.10:

How do you solve a number story?

Solve the number story.

People are donating \$10 each to the animal shelter. The animal shelter has collected \$130 so far. Its goal is to collect \$200. How many more people do they need to donate money?



Lesson 5.II:

How do you use the break-apart strategy to solve multiplication problems?

Julio is trying to solve 7×9 .

He sketched a rectangle to help him think about how to break apart the numbers so that the fact is easier to solve. Here is his sketch:

Use numbers or words to explain how Julio can use his sketch to solve 7 x 9

	9	
	5	4
7	7 x 5	7 x 4

Julio's rectangle is in two pieces. The first rectangle shows $7 \times 5 = 35$. The second rectangle shows $7 \times 4 = 28$. So the total is 35 + 28 = 63.